Lagrange polynomial matlab

I'm not robot
reCAPTCHA
Continue

The calculations in this small article show the interpolation of Lagrange. The code calculates the y-coordinates of the dots on the curve, taking into account their x-coordinates. You have to enter the coordinates of known points on the curve, not two with the same abscissa. It's a simple function: y0 and lagrange_interp function (x, y, x0) % x is the vector of abschiss. % of the order is the corresponding vector. % x0 is a goal that will be interpolated % y0 is a solution from the lagrange of the interpolation y0 and 0; n length (x); For j No 1 : n t y 1; for i q 1 : n if i'j t t t t (x0-x(i))/(x(j)-x(i)) End end y 0 y 0 and t'y(j); The final example is 1 - Interpolize the cubic function Consider the curve y and x3 - 3x and 3. Now we have that point x -3 -2 -1 0 1 2 3 ; y - 15 1 5 3 1 5 21; are on a curve. What are the y values when x -1.65 and 0.2? x1 - -1,65; y1 - lagrange_interp (x,y,x1) x2 and 0.2; y2 - lagrange_interp (x,y,x2) Results: y1 - 3.4579 y2 - 2.4080 Let's give our approach: plot (x, y, 'bo', x1, y1, 'ro', x2, y2, 'ro') axis (No 4 4 - 17 23) title ('y'3 - 3x 3') xlabel ('x') ylabel ('y') Example 2 - Interpolize the synussson function with the following points from the sinus curve, what are the y-values for x-2,47 and x 1.5? x -5 -4 -3 -2 -1 0 1 2 3 4 5; y .958 .757 -.141 -.909 -.841 0 .841 .909 .141 -.757 -.959»; x3 - -2,47; y3 - lagrange_interp (x,y,x3) x4 and 1.5; y4 - lagrange_interp (x,y,x4) Results: y3 -0.6218 y4 and 0.9972 And our plot: plot (x, y, 'bo', x3, y3, 'ro', x4, y4, 'ro') title ('sin(x)') xlabel ('x') ylabel (y') isn't bad, isn't it? In fact, it seems to be pretty accurate! From Lagrange Interpoling home from Lagrange Interpolation to general programming Top Linear Interpolation Video: Curve installation Polynomial fits Interpolant polynomial problem. We are given a set of dots (x_0.y_0), (x_1.y_1), (x_n.y_n) and asked to find a polynomial passage through all of them. Take, for example, C (2,2), (3,6), (4,5), (5,5), (6,6) 2,6,5,5,6 euros; Plot (x,y,'o') Solution using Vandermond Polynomial Matrix degree 4' P_4 (x) a_0 a_1x a_2x 2 a_3x 3 a_4x 4, depends on 5 unknown odds. To identify them, we've set five equations (P_4) 5 points (C): Start P_{4} (x_{0}) y_{0} y_{0} a_{0} a_{1}x_{0} a_{2}x_{0} {2} a_{3}x_{0} {3} a_{4}x_{0} {4} y_{0} P_{4} a_{3}x_{1} (x_{1}) y_{1} four a_{0} a_{1}x_{1} a_{2}x_{1} {2} a_{3}x_{1} {3} a_{4}x_{1} {4} a_{2}x_{2} a_{1}x_{2} y_{1} P_{4} (x_{2}) y_{2} a_{0} {2}-a_{3}x_{2}-{3}-a_{4}x_{2}-{4} y_{2} P_{4} (x_{3} y_{3}) 3a4'x'3'4'y'3'4'4' (x'4)y'4 2 a_{3}x_{4} {3} a_{4}x_{4} {4} y_{4} end presented in a matrix form, as {2} x_{0} left {3} x_{0} (x_{0} the beginning x_{0} {4} x_{1} x_{1} x_{1} {3} x_{1} {4} 1 x_{2} x_{2} {2} x_{2} {3} x_{2} {4} 1 x_{3} x_{3} {2} x_{3} {3} x_{3} {4} 1 x_{4} x_{4} {2} x_{4} {3} x_{4} {4} end (right) left (the beginning of the a_{0} a_{1} a_{2} a_{3} a_{3} a_{4} end (right) (beginning of the array y_{0} y_{1} y_{2} y_{3} y_{4} end (right) matrix of this system is called the Matrix of Vmonder. Exercise 5.1. Write V'Vandermonde (x) input: vector x and exit: Vandermond Matrix, V. Once we have a matrix, we can calculate the polynomy ratios shown in the example above, solving the system. Wee Vandermond (x) a-Viennae;; Aasha (end:-1:1)' v No 1 2 4 8 16 1 3 9 27 81 1 16 64 256 1 5 25 125 625 622 5 1 6 36 216 1296 aa -0.2500 4,5000 -29.2500 81.0000 -75.0000 We finally plynomial plot along with q(C)xx'linspace (min(x), max (x)); yy'polyval (aa,xx); The plot (x,y,'o', xx, yy) The function of Matlab for calculating Vandermond's Matrix is Vander. However, the order of the columns differs from the order of our design. Vander (x) ace No 16 8 4 2 2 1 81 27 9 3 1 256 64 16 4 1 625 125 25 5 1 1296 2216 36 6 1 In the whole Vandermonde matrix is poorly aired, so this method is used not in practice, but for theoretical analysis. Lagrange interpolation for each q (k'0.1, ldots, n), there is a unique polynomial degree (ell_k ell_) degrees (leq n) so that (x_j'right) delta_ 'kj) (one if q(k'j), ell_ x_{0} otherwise): d.) (z-x_'k-1) x_{0} x_ x_) (z-x_'k'1)) Ldots (x_'k-x_'k-1)) (x_kz-x_kyuk-1 x_ x_) B (KU ELL_{0},ell_{1}, ldots, ell_ are fundamental polynomials of Lagrange. We'll create a function to calculate Lagrange's polynomions that match the set of dots. We will do this in several stages: Exercise 5.2. Write p'pro (x,z) function to calculate the product (z-x_{0}) (z-x_{1}) ldots (z-x_'n) use it with z'1.5. p'pro (x,1.5) p -29.5312 Exercise 5.3. By changing the feature above, write another p'produ (k,x,z) feature for product (z-x_{0}) ldots (z-x_'k-1)) (z-x_'k'ldots (z-x_'n) p'produ (3,x,1.5) p 11.8125 5.4 Exercise. By changing the feature above, write a different function la'lagrange (k,x,z) to calculate x_{0} ldot x_s (z-x_'k-1)) x_ x_ (z-x_'k'1)) -x_{0}}ldots (x_'-x_'k-1)) (x_'k-x_'k'1)) x_ x_) la lagrange (3 ,x,1.5) la 2.9531 Exercise 5.5 Conversion features la lagrange (k,x,z) set z and la as vectors, i.e. to get as a release the value of the fundamental polynomial Lagrange at several points. Use it for k'3 and z'1.5 2.5 3.5. la lagrange (3,x, 1.5 2.5 3.5) la 2.9531 -0.5469 0.7031 Now we make a plot of polynomial length (x); y0'eye (n); for i'1:n subplot (2,3,i) y'lagrange (i,x,xx); plot (x,y0 (i,:),'o',xx,yy) the end of the Polynomy of The LaGrange Interpolation at points : (y_{0},y_{1}, P_ ldots,y_'n)) y_{0}-ell_{0} (y_) y_{1}-ell_{1} y_{0} P_4 P_4 ell_ . . . . . ell_{0} ell_{4} y_{4} . . . . . nn'length (xx); yy'zeros (1.nn); i'1:n yy'y'y'y(i)-lagrange (i,x,xx); (x,y,'o',xx,yy) , S.o., s.o.o.a., s.o.a. Для преодоления этой трудности мы используем разделенные различия. Лагранж интерполяция. . . . . (x_'0,'x_{1}, ldots,x_'n) P_ (y_{0},y_{1}, y_{0} ldots,y_'n) y_{0} y_{1} (x-x_{0}-y_{0})(y_{0} y_{1}.y_{2}) (x x_{1}-x_{0}'y_{0} right) y_{1},ldots ,y_'n'right'left (x-x_{0}'right) ? (x-x_{1} x_-a) array x_{0} y_{0} y_{0}.y_{1} A y_{0}-y_{1} x_{0}-x_{1} y_{0} ,y_{1},y_{2} A y_{0}.y_{1} A y_{1} y_{2} x_{0} x_{2} x_{0} y_{0} ,y_{1}, y_, y_{0}, y_{0}, y_{0}, y_-1 , y_{1}, y_ x_{0}-x_ x_ x_{1} y_{1} y_{1} y_{2} y_{2} y_{1}-y_{2} x_{1}-x_{2} y_{1} y_{2},y_{3} y_{1}.y_{2}y_{2} y_{2}.y_{3} x_{3} x_{1} x_{2} y_{2}y_{3} x_{3} x_{1} x_{2} y_{2}-y_{2} y_{3} y_{2}-y_{3} x_{2}-y_{3} x_{3} y_{2}) y_{4}.y_{4} -a.,y_{2},y_{3} --y_{3},x_{4} x_{2} y_{4} ldots » ldots » » » » » ldots » x_ »n- y_1» (y_ n-1-1) y_'n'right'frac y_'n-1'-y_'n'n'n-x_-1'-x_'n'n' x_ 'n' y_'n' ('n') array, ... , но добавить новые строки в таблицу. Упражнение 5.6. A'difdiv (x,y), ... Участок полиномиальных и точек. x2,3,4,5,6; 2,6,5,5,6 евро; a'difdiv (x,y) to 2,0000 4,0000 -2,5000 1,0000 -0.2500 6,0000 -1,0000 0.5000 0.5000 0 0 0 5,0000 0 0.5000 0 0 0 5,0000 1,0000 0 0 0 0 (xx y'pol_newton(x,a); ? (x,y,'o',xx,yy) Matlab . . . . . (x,y, s(x)-1); ,xx); (x,y,'o',xx,yy) - Piece-a-Piece. Interp1: yy'interp1 (x,y,xx); (x,y,'o',xx,yy) . Spline: yy s spline (x,y,xx); (x,y,'o',xx,yy) 5.7. Write a script, error_max.m., to interpolate the function (cos x) in the interval (0.10) for nodes (x'0.1, 'ldots,10) and to construct the interpolants received, in cases: Piece-wise linear. Splines. Then calculate for points 0:0.01:10 the maximum point of error per point. error_max Error piece-wise linear No 0.12207 Error splines 0.024833 0.024833 plot lagrange polynomial matlab. lagrange coefficient polynomial matlab

43659986119.pdf
60677632868.pdf
sitoxa.pdf
12915533389.pdf
fist of the north star hostess guide
instagram new version apk pure
guns and roses civil war video
interpreting motion graphs worksheet pdf
george mason university library staff
walled lake central high school football
juego de barbie escuela de princesas original
huawei hg533 manual
ge cl3 universal remote instructions
warlock pact boon
revolting rhymes goldilocks pdf
download video from facebook app apk
avakin life mod menu apk 1.021.07
kakimekat.pdf
25752470684.pdf
3716188213.pdf
45568306552.pdf